



To b[r]e[ed] or not to b[r]e[ed] with [sym][sub-sym] AI?

**Towards a framework for AI enabled predictive
breeding**

Charlie Messina
Professor Horticultural Sciences
Director UF/IFAS Crop Transformation Center
University of Florida

Mark Cooper
Professor Predictive Breeding
ARC Plant Success
University of Queensland

University of Florida ... turn of the century



Jim Specht

Professor Emeritus (formerly the Francis & Dorothy Haskins and Charles E. Bessey Professor of Agronomy and Horticulture)
Agronomy and Horticulture

G → P Models

QTLs, RILs, ... , **E loci**

UF ~ 2000

A Gene-Based Model to Simulate Soybean Development and Yield Responses to Environment

C. D. Messina,* J. W. Jones, K. J. Boote, and C. E. Vallejos + Jim Specht

Table 1. List of soybean near-isogenic lines used for model development and for molecular marker evaluation.

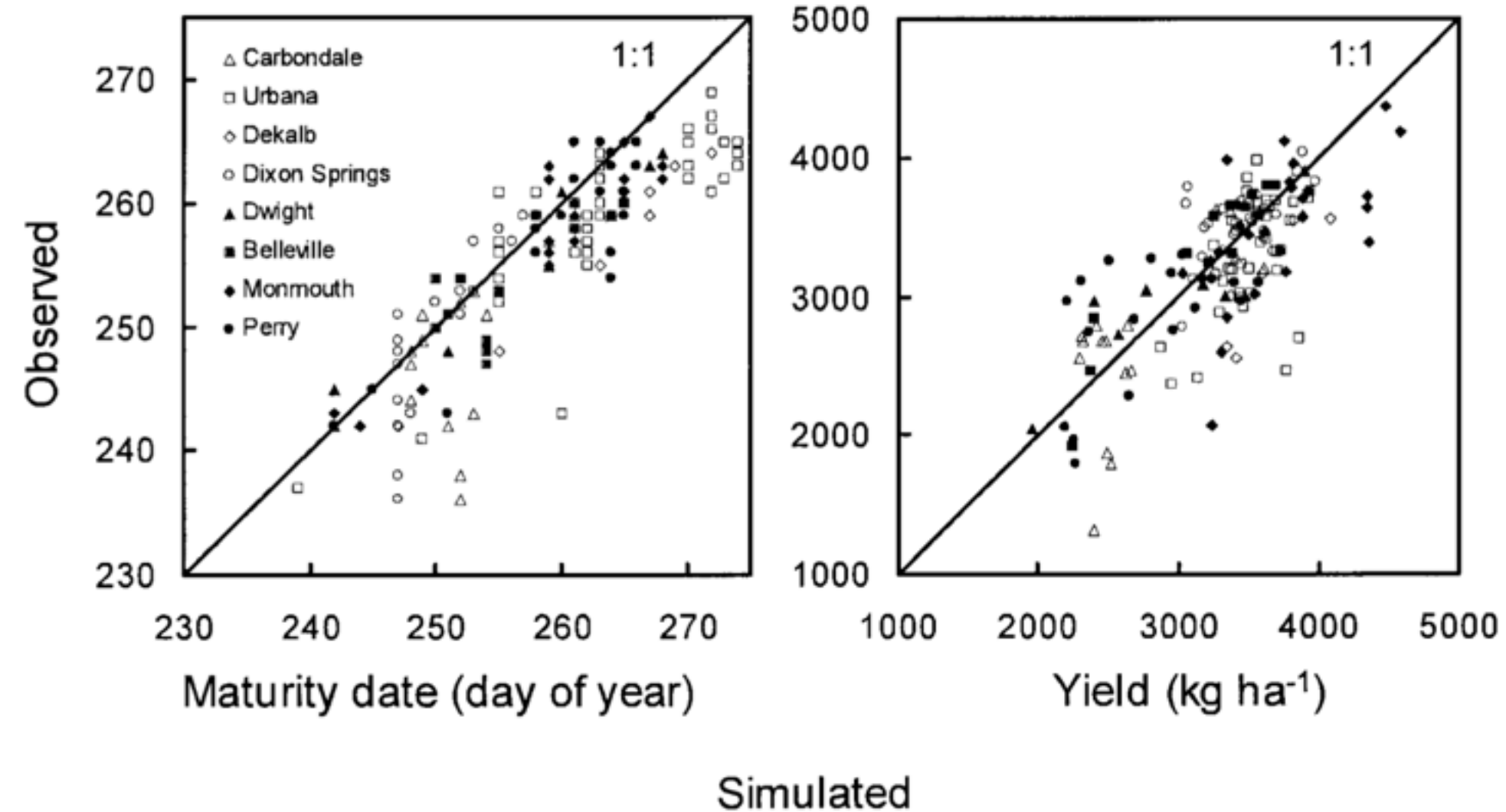
Near-isogenic line genotype†	Name‡	Molecular marker evaluation
<i>e1 e2 e3 E4 e5 E7</i>	L71-920	yes
<i>e1 e2 e3 E4 E5 E7</i>	L97-2076	
<i>e1 e2 E3 e4 e5 E7</i>	L92-21	yes
<i>e1 e2 E3 E4 e5 E7</i>	L63-3117	yes
<i>e1 e2 E3 E4 E5 E7</i>	L94-1110	
<i>e1 E2 e3 E4 e5 E7</i>	L63-2404	
<i>e1 E2 E3 E4 e5 E7</i>	Clark	yes
<i>e1 E2 E3 E4 E5 E7</i>	L92-1195	
<i>E1 e2 e3 E4 e5 E7</i>	L80-5914	
<i>E1 e2 E3 E4 e5 E7</i>	L66-432	
<i>E1 e2 E3 E4 E5 E7</i>	L97-4081	yes
<i>E1 E2 e3 E4 e5 E7</i>	L74-441	yes
<i>E1 E2 E3 E4 e5 E7</i>	L65-3366	yes
<i>E1 E2 E3 E4 E5 E7</i>	L98-2064	yes

† Refer to Bernard (1971), Buzzel (1971), Buzzel and Voldeng (1980), Saindon et al. (1989), McBlain and Bernard (1987), and Cobor and Voldeng (2001) for genetic analysis of the *E* loci.
‡ Near isogenic lines were provided by Dr. Bernard, University of Illinois.

Table 5. Associations between *E* loci and genetic coefficients in CROPGRO-Soybean. Dominant and recessive alleles take values of 1 and 0, respectively. NLOCI denotes the sum of dominant alleles.

Genetic coefficient†	Linear model	R ²
CSDL	CSDL = 14.33 - 0.44 NLOCI + 0.27 <i>E3</i> - 0.48 <i>E5</i> + 0.18 NLOCI <i>E5</i>	0.88
PPSEN	PPSEN = 0.11 + 0.063 NLOCI + 0.58 <i>E1</i> - 0.13 <i>E1</i> NLOCI	0.70
EM-FL	EM-FL = 20.77 + 2.1 <i>E1</i> + 1.8 <i>E3</i>	0.78
FL-SD	FL-SD = 0.56 FL-VS	-
FL-VS	FL-VS = 20.9 + 0.67 NLOCI	0.47
SD-PM	SD-PM = 35.2 - 1.0 NLOCI - 9.2 <i>E1</i> + 2.0 NLOCI <i>E1</i>	0.57
VI-JU	VI-JU = 4.16 <i>E1</i>	0.71
RIPRO	RIPRO = 0.1 + 0.066 NLOCI	0.32

CROP SCIENCE, VOL. 46, JANUARY-FEBRUARY 2006



Butterfly effect... all started with Jim inspiring a grad student



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Field Crops Research 90 (2004) 145–163

Field
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From genome to crop: integration through simulation modeling

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REVIEW PAPER

Yield–trait performance landscapes: from theory to application in breeding maize for drought tolerance

Carlos D. Messina^{a,*}, Dean Podlich, Zhanshan Dong, Mitch Samples and Mark Cooper

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European Journal of Agronomy

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Leveraging biological insight and environmental variation to improve phenotypic prediction: Integrating crop growth models (CGM) with whole genome prediction (WGP)

C.D. Messina^{a,*}, F. Technow^b, T. Tang^a, R. Totir^a, C. Gho^c, M. Cooper^a

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Plant Physiology®

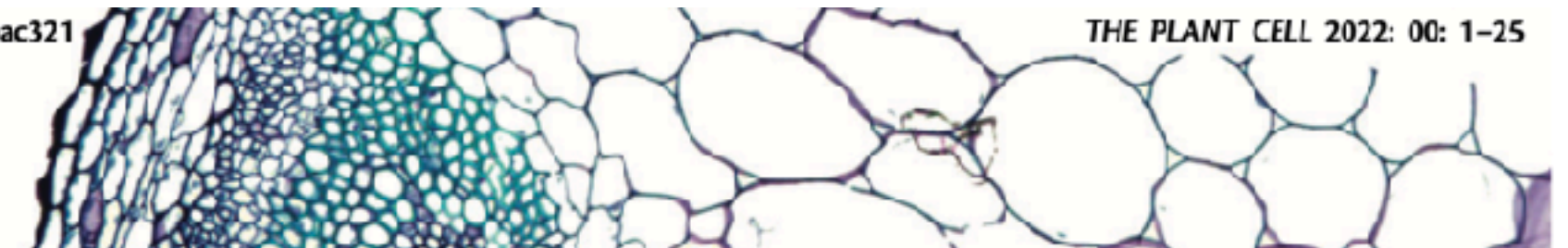
Can we harness digital technologies and physiology to hasten genetic gain in US maize breeding?

Christine H. Diepenbrock¹, Tom Tang², Michael Jines³, Frank Technow⁴, Sara Lira², Dean Podlich², Mark Cooper⁵ and Carlos Messina^{2,*†}

<https://doi.org/10.1093/plcell/koac321>

THE PLANT CELL 2022: 00: 1–25

THE
PLANT
CELL



Breeding crops for drought-affected environments and improved climate resilience

Mark Cooper^{1,2,*} and Carlos D. Messina³

Theoretical and Applied Genetics (2025) 138:151

<https://doi.org/10.1007/s00122-025-04928-6>

ORIGINAL ARTICLE



Toward a general framework for AI-enabled prediction in crop improvement

Carlos Messina^{1,2}, Julian Garcia-Abadillo¹, Owen Powell^{2,3}, Shunichiro Tomura^{2,3}, Alina Zare⁴, Baskar Ganapathysubramanian⁵ and Mark Cooper^{2,3}

Is there a need for an AI enabled breeding?

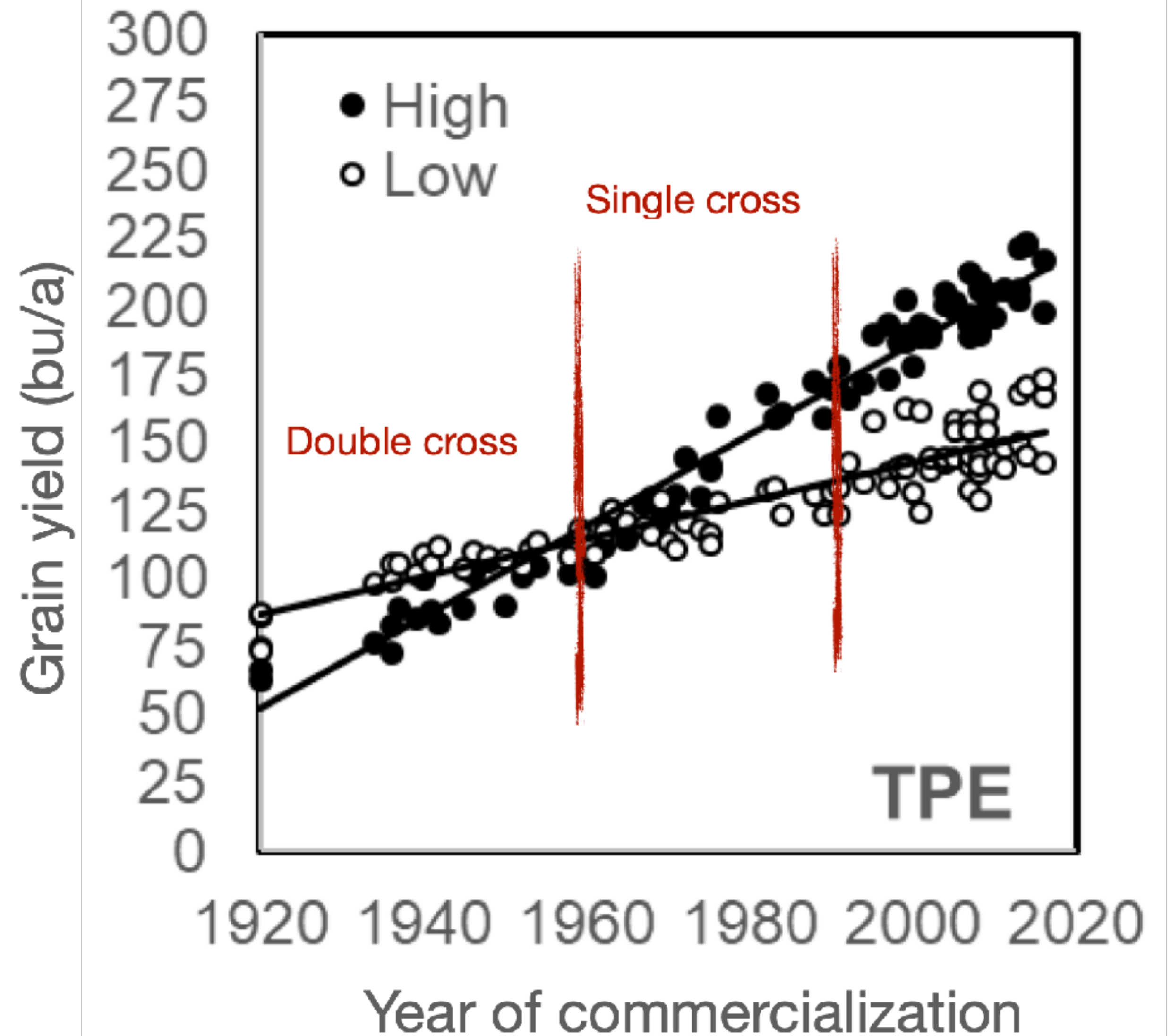
...beyond operational effectiveness initiatives



Long-term selection in maize

Plant Breeding is a very successful enterprise
 Preliminary answer
 ...may be NO

But maize breeding is expensive



AI enabled Breeding

1 Predictive models



Global data hungry



Local knowledge rich

2 Experimentation



Sampling



Design

Local training

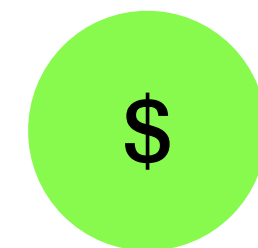


Global testing

3 Phenomics



Labor intensive data collection



Robotics and platforms

4 Use AI to enable AI



Tech support to breeders



Use of LLM to enable breeders with AI tools

Prediction Problem

Dimensionality

$$m \gg p$$

Information content

$$H = - \sum P(x) \times \log_2 P(x)$$

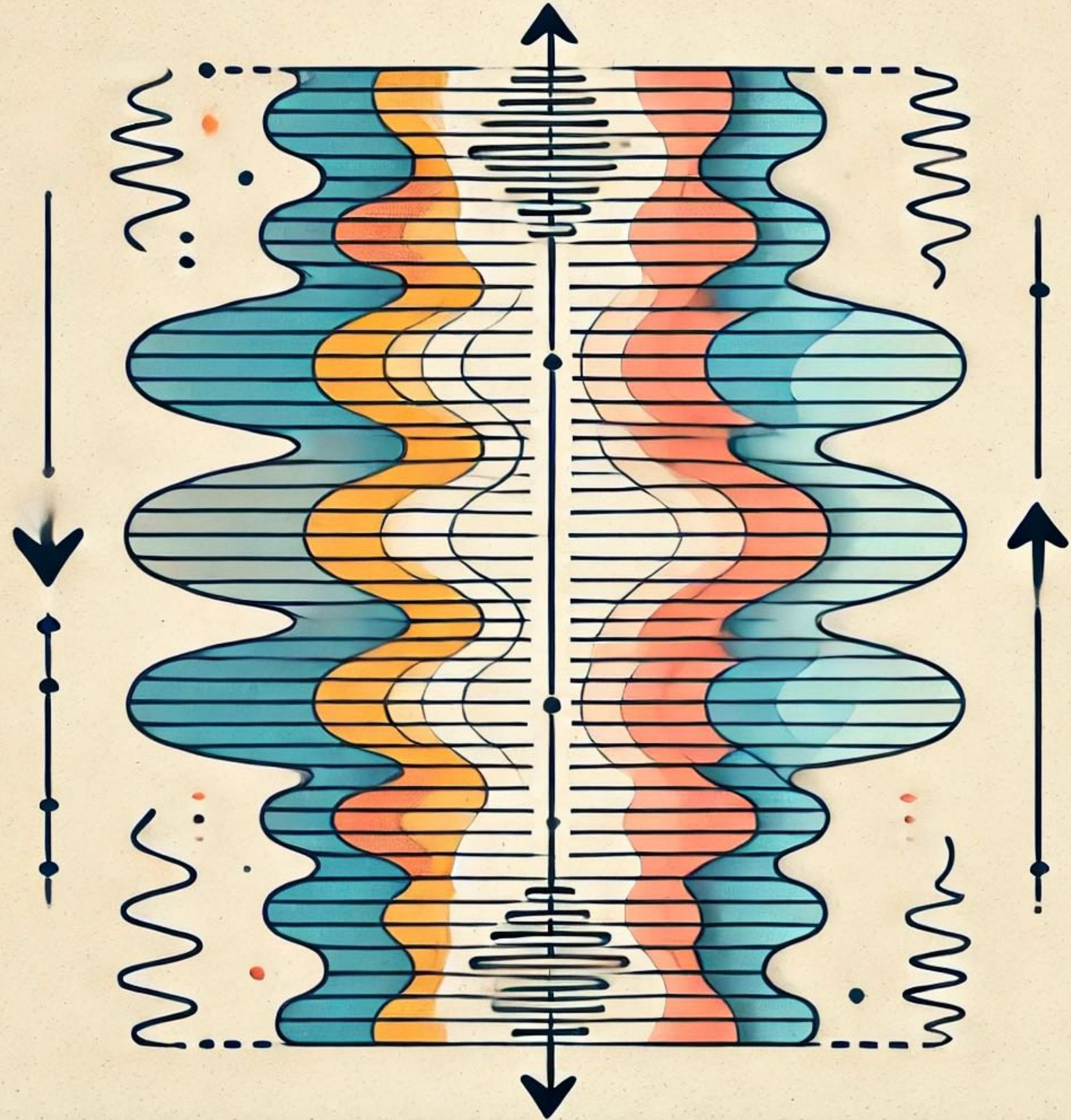
Emergence Complexity

Properties of the system that the parts don't have and result from their interaction

$$\frac{dp}{dt} = f(p, m)$$

Upward and Downward causality

Troublesome to assign causality that increase prediction uncertainty (r_a^M)

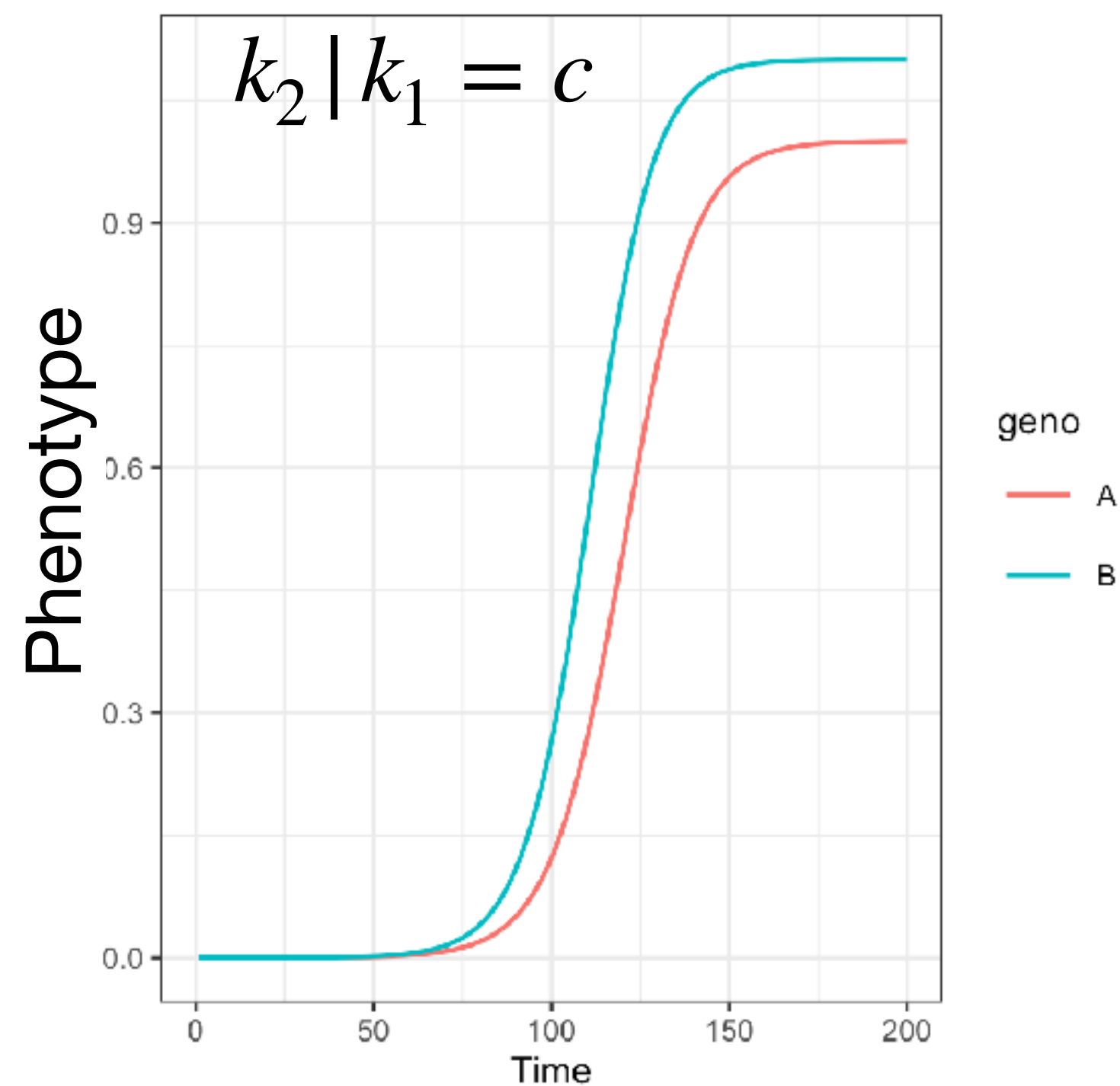


Transdisciplinary science problem: Semantics to enable convergence s

Molecular biology

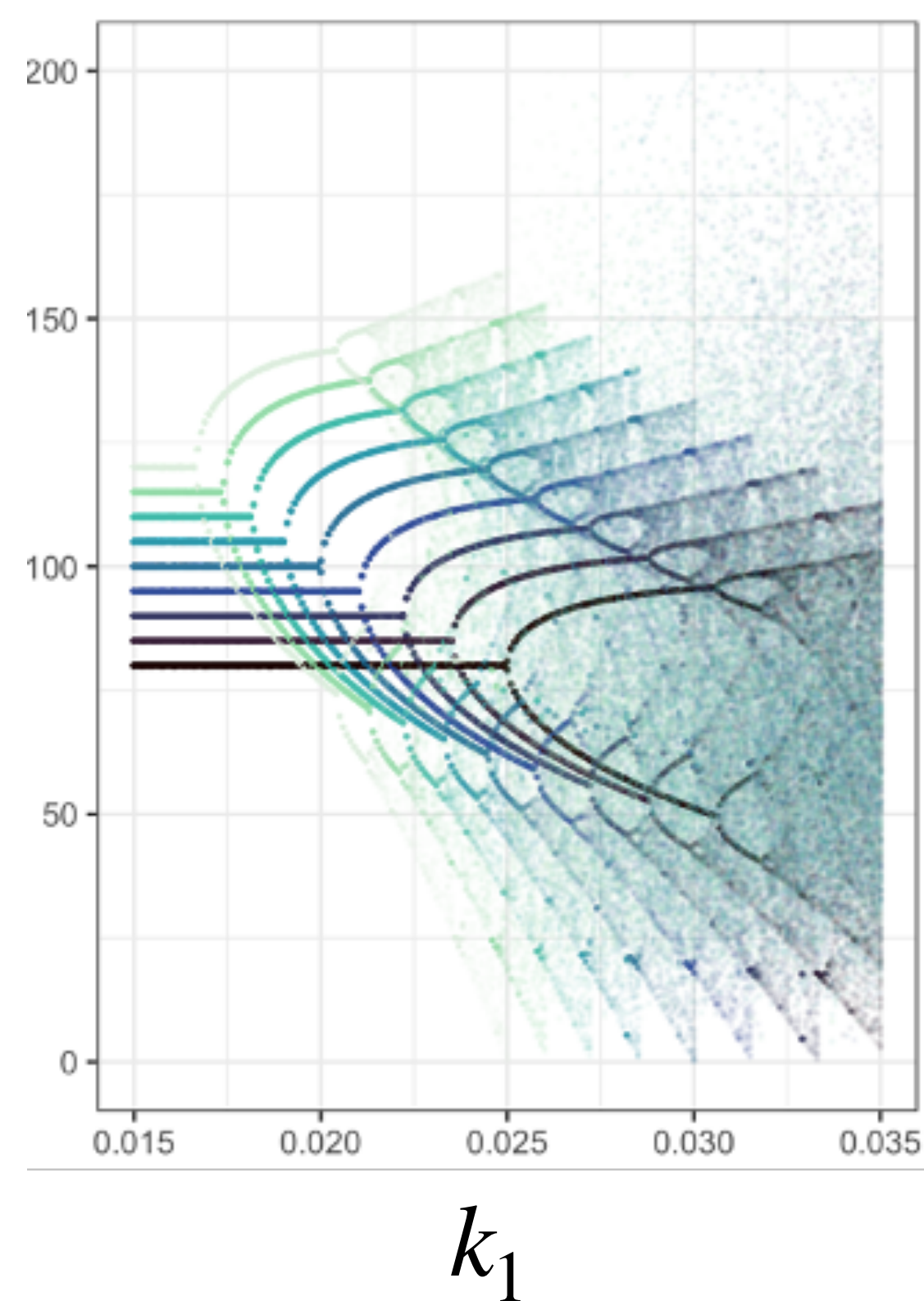
Science of the Plant

$$x_{t+1} = k_1 x_t (k_2 - x_t)$$



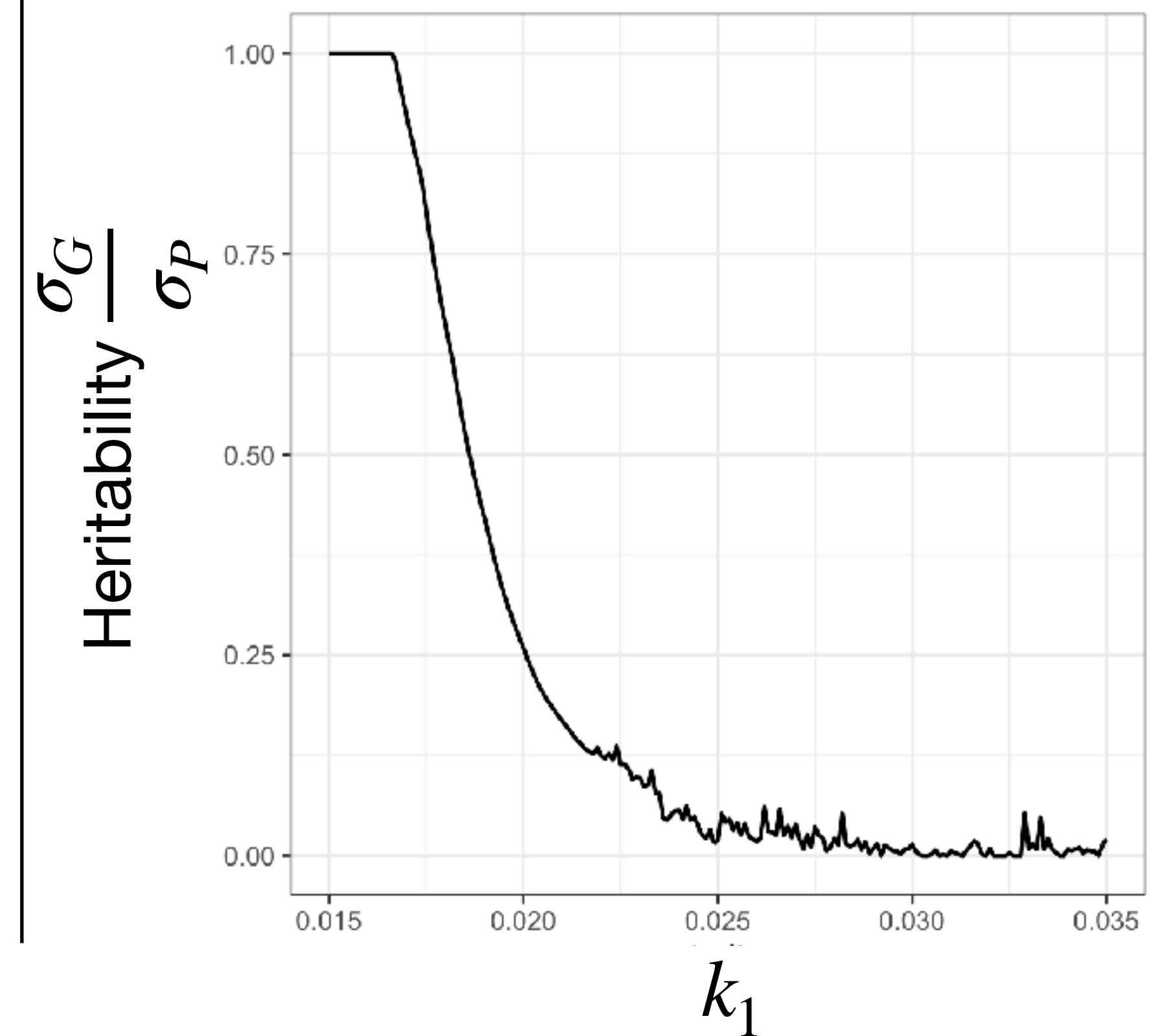
Organismal Science

Science of the Crop



Breeding

Science of the population and systems



Why it matters?
(Rate and Uncertainty)

$$\underbrace{\Delta G}_{M,T} = i^M \times \underbrace{r_a^M \times r_g^{M,T}} \times \sigma_a^T$$

- ΔG Average predicted response to selection over ALL environments (one cycle of selection)
- i^M Standardized selection differential (1%, 5%,...)
- r_a^M Prediction accuracy of the model trained with phenotypes determined by the mixture of environmental conditions sampled in multi-environment trials (M)
- $r_{M,T}$ Genetic correlation between the multi-environment trials (M) and the target population of environments (T)
- σ_a^T Square root of the additive genetic variance in the target population of environments T

Why it matters?

(Rate and Uncertainty)

$$\Delta G_{M,T} = i^M \times \underbrace{r_a^M}_{\underbrace{\hspace{2cm}}} \times r_g^{M,T} \times \sigma_a^T$$

- ΔG Average predicted response to
- i^M Standardized selection differential
- r_a^M Prediction accuracy of the model of environmental conditions
- $r_{M,T}$ Genetic correlation between the two environments (T)
- σ_a^T Square root of the additive genetic variance in the target population or environments

For the current reality, linear models work for linearized systems (r_a^M is large)

Expect a change for cropping systems that support a Circular Bioeconomy

Why it matters?
 (Rate and Uncertainty)

$$\Delta G_{M,T} = i^M \times \underbrace{r_a^M}_{\underbrace{\hspace{1.5cm}}} \times r_g^{M,T} \times \sigma_a^T$$

- ΔG Average predicted re
- i^M Standardized select
- r_a^M Prediction accuracy of environmental co
- $r_{M,T}$ Genetic correlation of environments (T)
- σ_a^T Square root of the a

For the linearized systems of today, the correlation between training and testing environments $r_g^{M,T}$ is high

Change in climate extremes and cropping systems, may lead to much lower $r_g^{M,T}$

CGM-GS

Framework for abductive reasoning

Would be World

Real system is not bijective

Inductive reasoning (sub symbolic AI) has limitations due to feedback and feedforward mechanisms that can lead to **emergence**

Harness prior scientific knowledge

Crop growth model-genomic selection

$$\frac{dW}{dt} = P_m (1 - e^{-Q \cdot PAR \cdot (1 - e^{-k_1 \cdot W \cdot \kappa})}) \cdot f(\theta) - k_2 \cdot W$$

$$\frac{d\theta}{dt} = k_3 \cdot R + kl \cdot (\theta - \theta_0) - \frac{f(W) \cdot (e_s - e)}{\Omega}$$

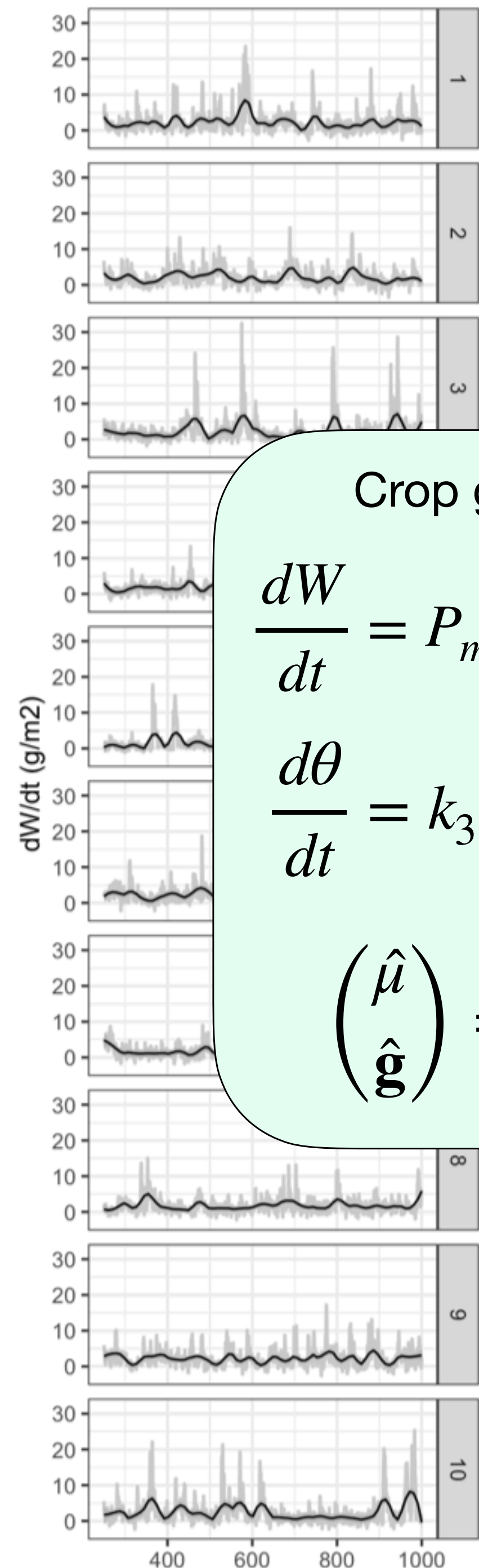
$$\begin{pmatrix} \hat{\mu} \\ \hat{\mathbf{g}} \end{pmatrix} = \begin{pmatrix} \mathbf{1}'_n \mathbf{1}_n & \mathbf{1}_n \mathbf{X} \\ \mathbf{X}' \mathbf{1}_n & \mathbf{X}' \mathbf{X} + \mathbf{I} \lambda \end{pmatrix}^{-1} \begin{pmatrix} \mathbf{1}'_n \hat{\Omega} \\ \mathbf{X}' \hat{\Omega} \end{pmatrix}$$

Emergence: collective properties of a system that parts don't have and arise upon their interaction

CGM-GS

Framework for abductive reasoning

System of equations can generate disorder in the form of recurrent but not periodic pattern and order in form of linear associations with dispersion



Crop growth model-genomic selection

$$\frac{dW}{dt} = P_m (1 - e^{-Q \cdot PAR \cdot (1 - e^{-k_1 \cdot W \cdot \kappa})}) \cdot f(\theta) - k_2 \cdot W$$

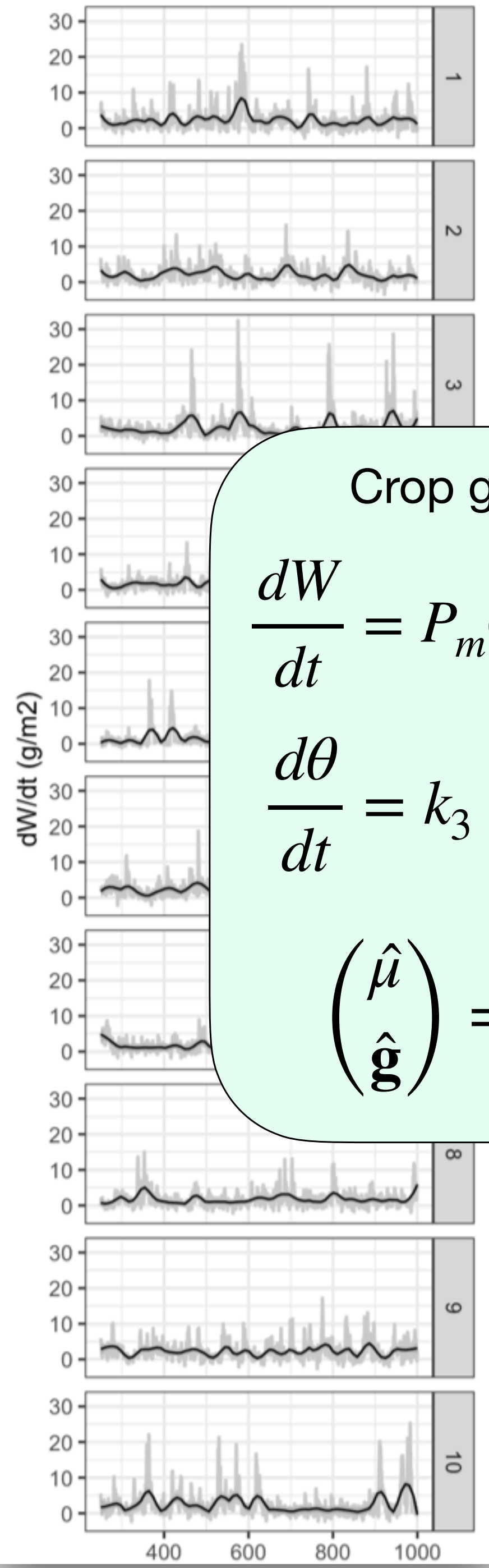
$$\frac{d\theta}{dt} = k_3 \cdot R + kl \cdot (\theta - \theta_0) - \frac{f(W) \cdot (e_s - e)}{\Omega}$$

$$\begin{pmatrix} \hat{\mu} \\ \hat{\mathbf{g}} \end{pmatrix} = \begin{pmatrix} \mathbf{1}'_n \mathbf{1}_n & \mathbf{1}_n \mathbf{X} \\ \mathbf{X}' \mathbf{1}_n & \mathbf{X}' \mathbf{X} + \mathbf{I} \lambda \end{pmatrix}^{-1} \begin{pmatrix} \mathbf{1}'_n \hat{\Omega} \\ \mathbf{X}' \hat{\Omega} \end{pmatrix}$$

CGM-GS Framework for abductive reasoning

System of equations can generate disorder in the form of recurrent but not periodic pattern and order in form of linear associations with dispersion

Yet, it can generate order and stable realistic patterns, such as water use efficiency

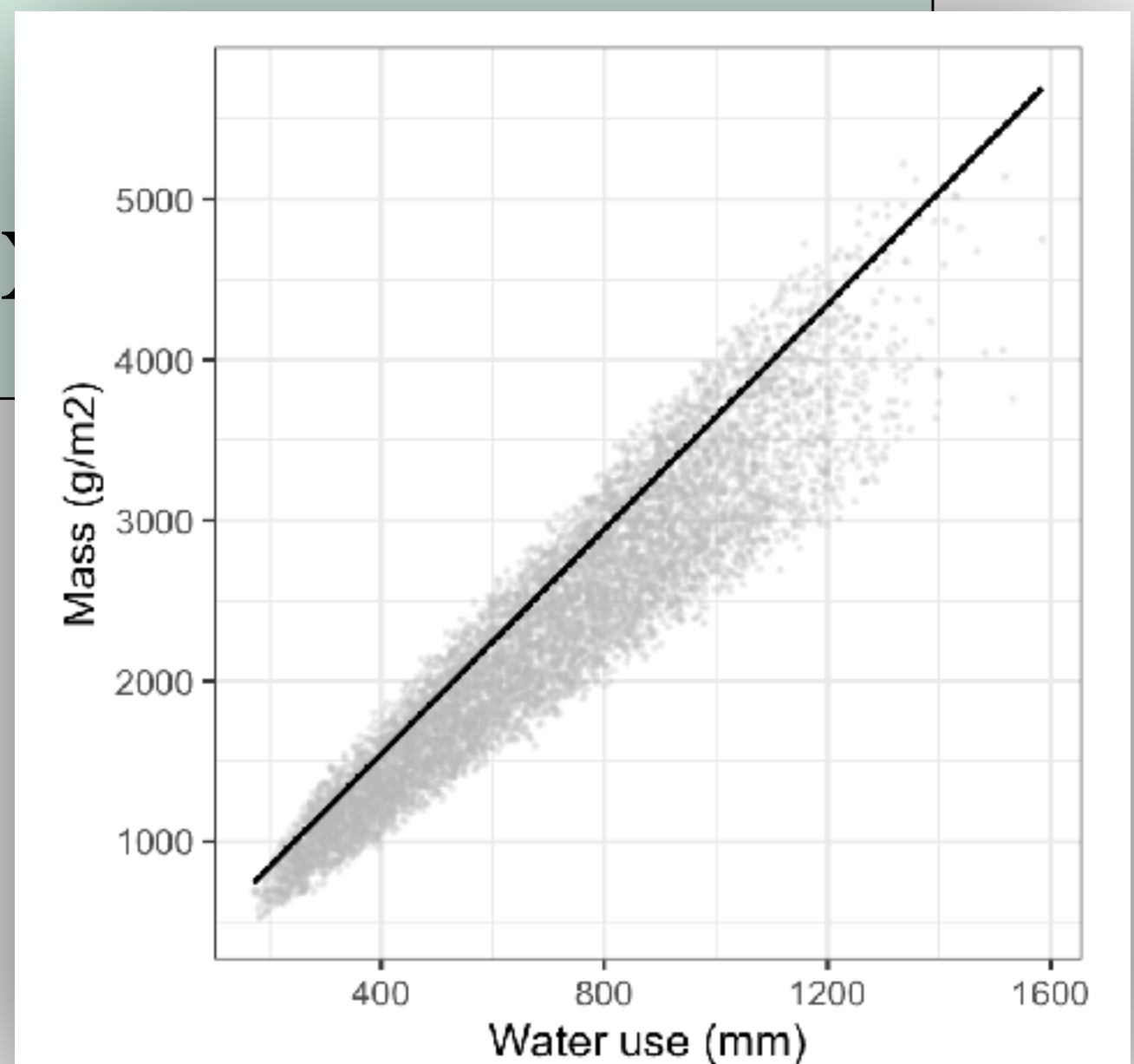


Crop growth model-genomic selection

$$\frac{dW}{dt} = P_m (1 - e^{-Q \cdot PAR \cdot (1 - e^{-k_1 \cdot W \cdot \kappa})}) \cdot f(\theta) - k_2 \cdot W$$

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CGM-GS Framework for abductive reasoning

Definitions

Symbolic AI: Crop growth model

subSymbolic AI: Statistical learning

Bayesian methodology to estimate parameters given a set of data and a likelihood function (here CGM)

Artificial Intelligence

Deductive, Inductive and Abductive reasoning to solve the system of equations

Messina et al. 2018

$$P(\Theta/D) \propto P(D/\Theta)$$

Crop growth model-genomic selection

$$\frac{dW}{dt} = P_m(1 - e^{-Q \cdot PAR \cdot (1 - e^{-k_1 \cdot W \cdot \kappa})}) \cdot f(\theta) - k_2 \cdot W$$

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CGM-GS Framework for abductive reasoning

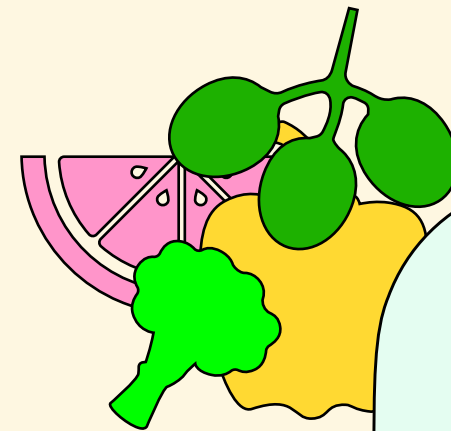
Phenomics informed by CGM is crucial to create **INFORMATIVE** data sets

Limit issues with equifinality and estimability

$$H = - \sum P(x) \times \log_2 P(x)$$

Phenomics (IoT)

Measure the state of the system at relevant points in time to allow estimation of parameters (physiological and genetic)



Artificial Intelligence

Deductive, Inductive and Abductive reasoning to solve the system of equations
Messina et al. 2018

$$P(\Theta/D) \propto P(D/\Theta)$$

Crop growth model-genomic selection

$$\frac{dW}{dt} = P_m (1 - e^{-Q \cdot PAR \cdot (1 - e^{-k_1 \cdot W^k})}) \cdot f(\theta) - k_2 \cdot W$$

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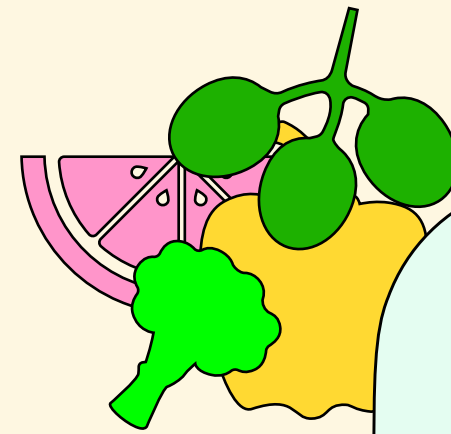
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CGM-GS Framework for abductive reasoning

Enviromics: soil, weather, management and other measurements of inputs to the model

Phenomics (IoT)

Measure the state of the system at relevant points in time to allow estimation of parameters (physiological and genetic)



Artificial Intelligence

Deductive, Inductive and Abductive reasoning to solve the system of equations
Messina et al. 2018

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Monitor the environment to quantify the realized value of the random variables that are inputs to the system of equations (e.g. R)

Enviromics (IoT)



CGM-GS Framework for abductive reasoning

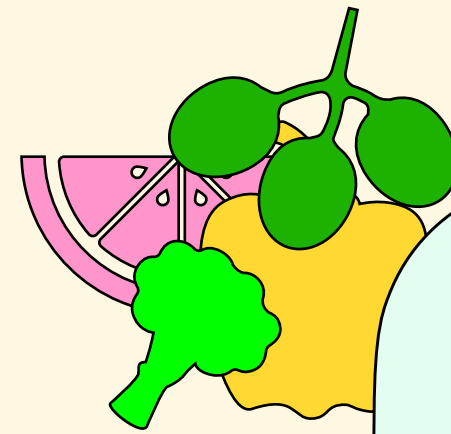
Genomics informed by genetics, and germplasm is crucial to create **INFORMATIVE** data sets

Constrain solution space

$$H = - \sum P(x) \times \log_2 P(x)$$

Phenomics (IoT)

Measure the state of the system at relevant points in time to allow estimation of parameters (physiological and genetic)



Artificial Intelligence

Deductive, Inductive and Abductive reasoning to solve the system of equations
Messina et al. 2018

$$P(\Theta/D) \propto P(D/\Theta)$$

Crop growth model-genomic selection

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Monitor the environment to quantify the realized value of the random variables that are inputs to the system of equations (e.g. R)

Environmics (IoT)

Methods to characterize the genotype of each individual in the training and prediction sets to allow estimation and prediction of performance $\int f(x) dx$

Genomics



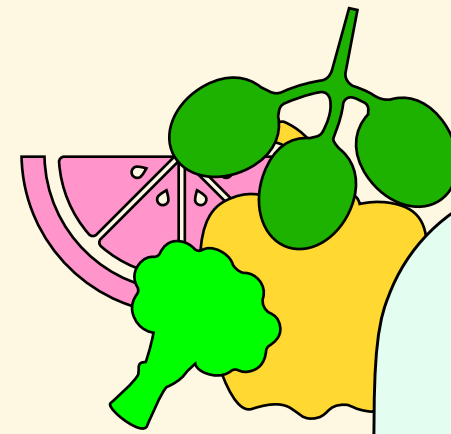
CGM-GS Framework for abductive reasoning

Integrating symbolic (CGM) and sub symbolic (GS) provides the framework to inform Phenomics, Enviromics and Genomics.

Goal is to estimate parameter set
 $[P_m, Q, k_1, k_2, \dots, k_m, kl, \lambda, \Omega]$

Phenomics (IoT)

Measure the state of the system at relevant points in time to allow estimation of parameters (physiological and genetic)



Artificial Intelligence

Deductive, Inductive and Abductive reasoning to solve the system of equations
 Messina et al. 2018

$$P(\Theta/D) \propto P(D/\Theta)$$

Crop growth model-genomic selection

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Monitor the environment to quantify the realized value of the random variables that are inputs to the system of equations (e.g. R)

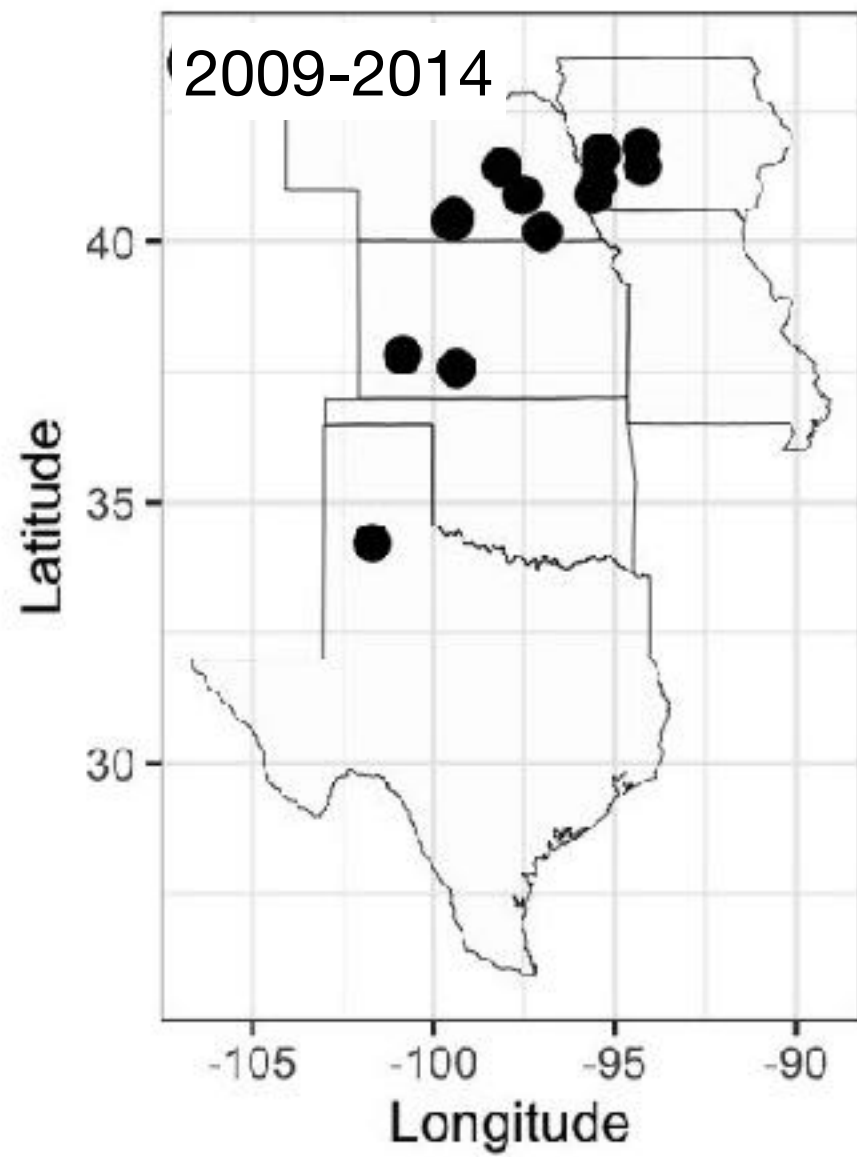
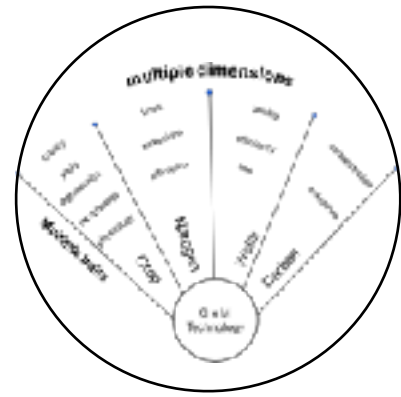
Enviromics (IoT)

Methods to characterize the genotype of each individual in the training and prediction sets to allow estimation and prediction of performance $\int f(x)dx$

Genomics

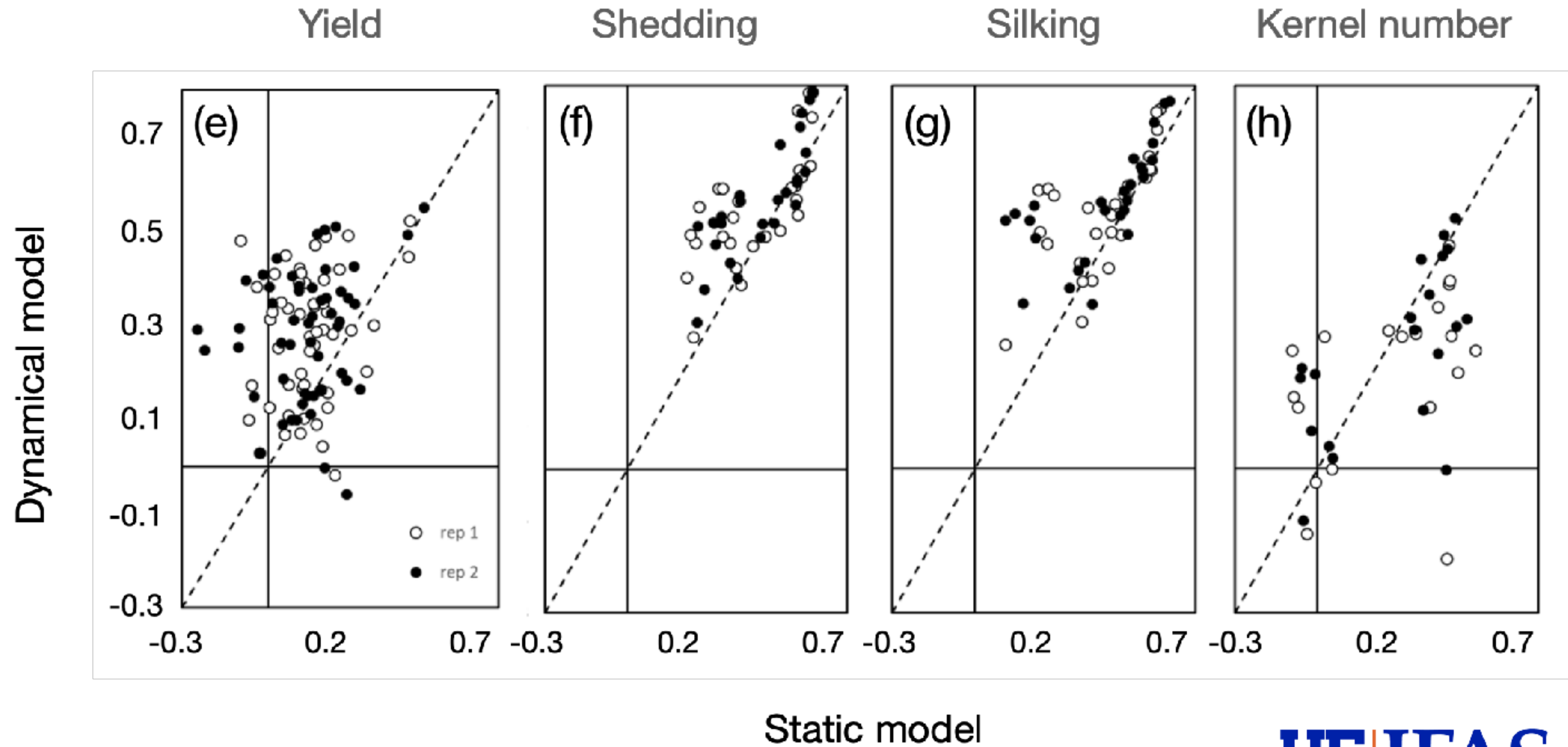


Predictive accuracy using a Crop Model as the State Space generating function

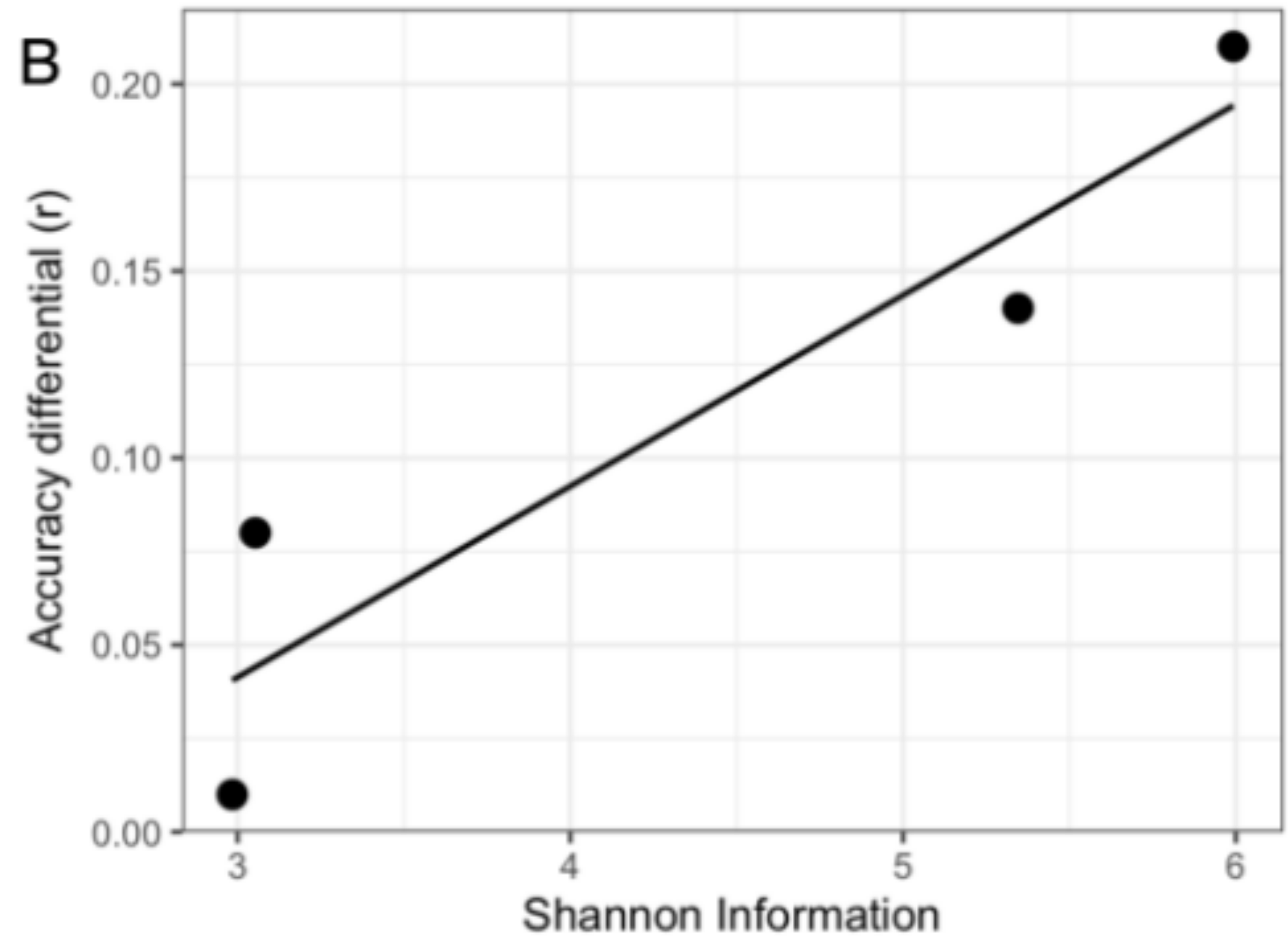
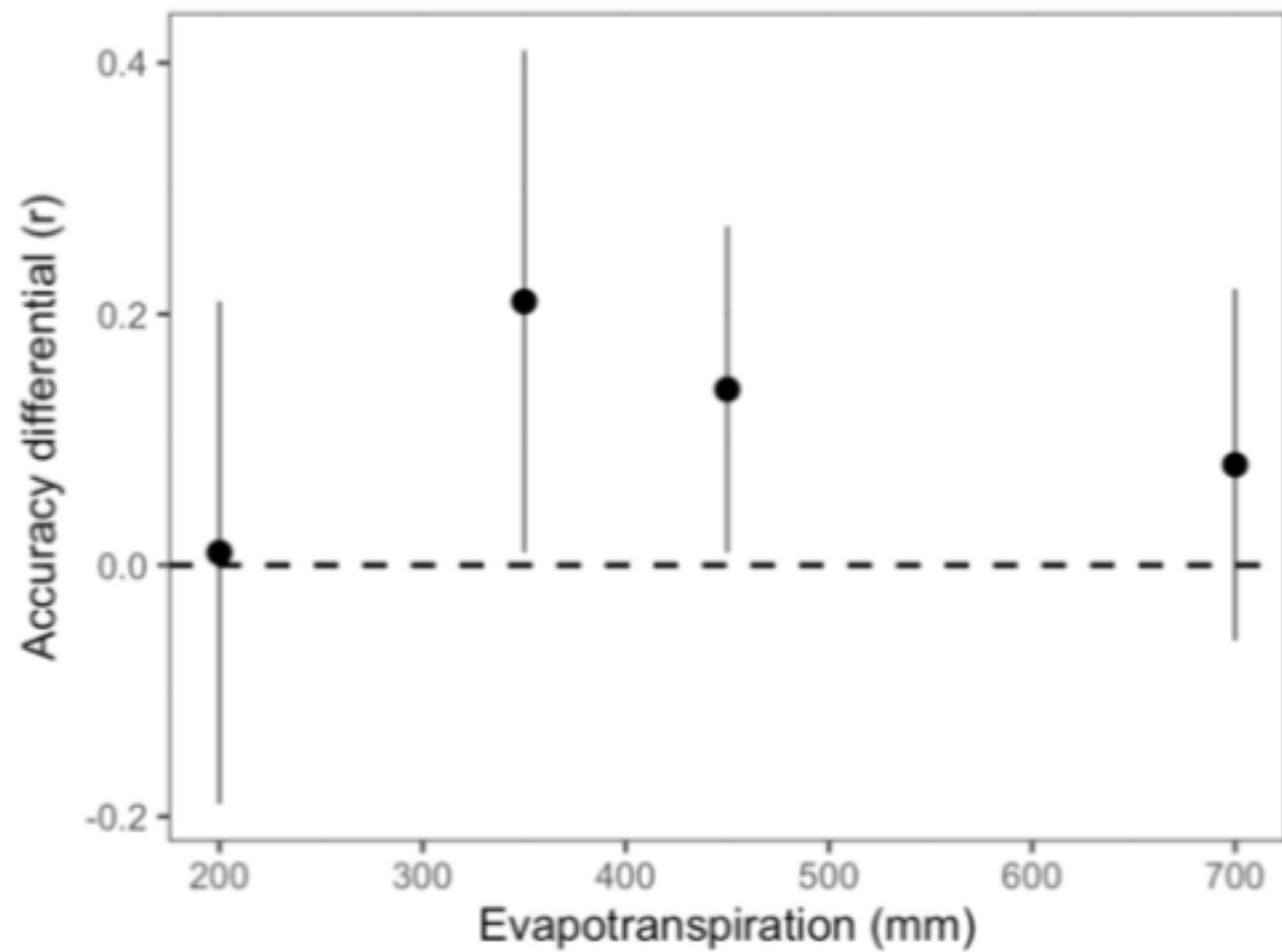


7615 hybrids

Prediction skill (r_a^M)



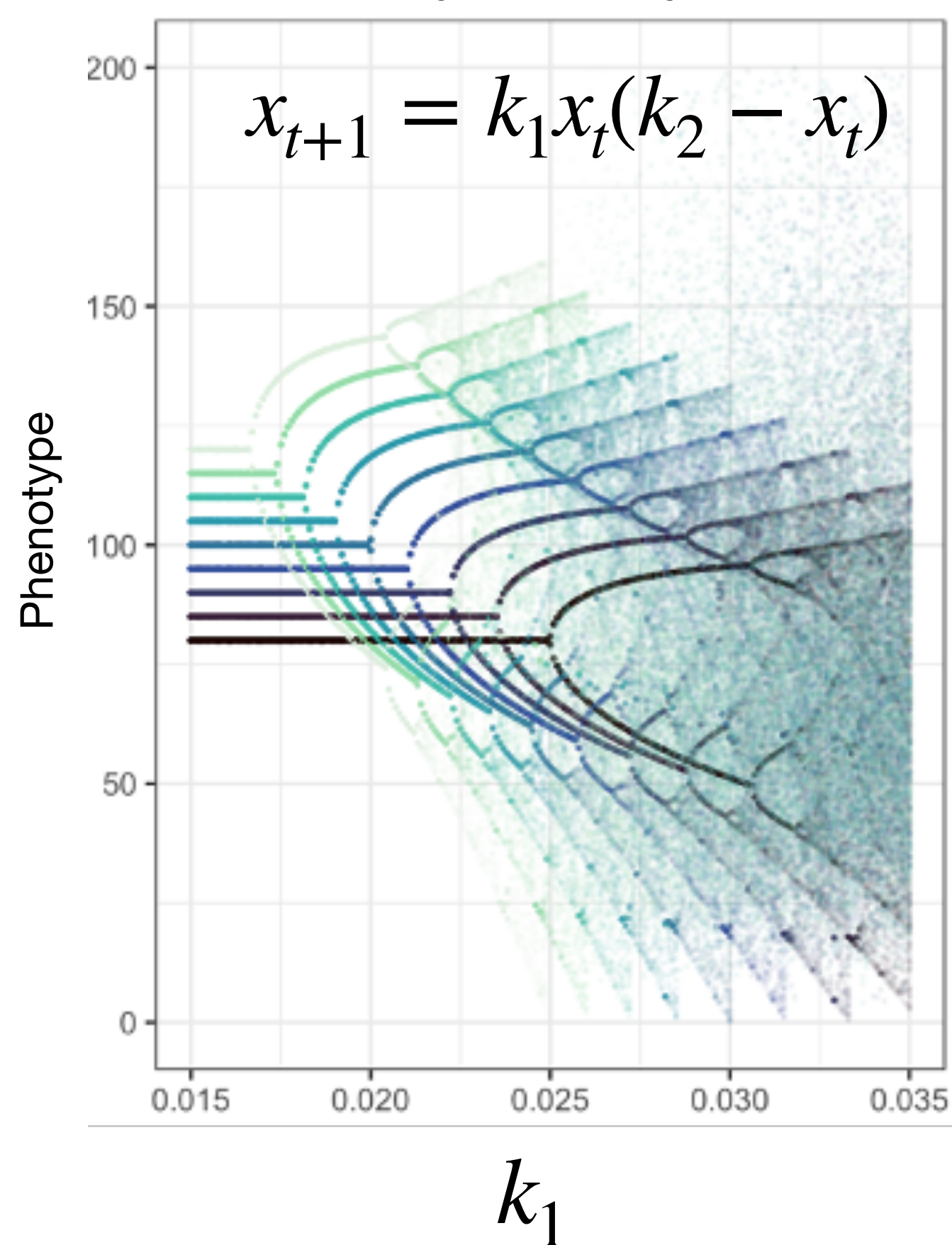
Prediction accuracy differential ($r_{a,+CGM}^M - r_{a,-CGM}^M$) increase with increasing system complexity



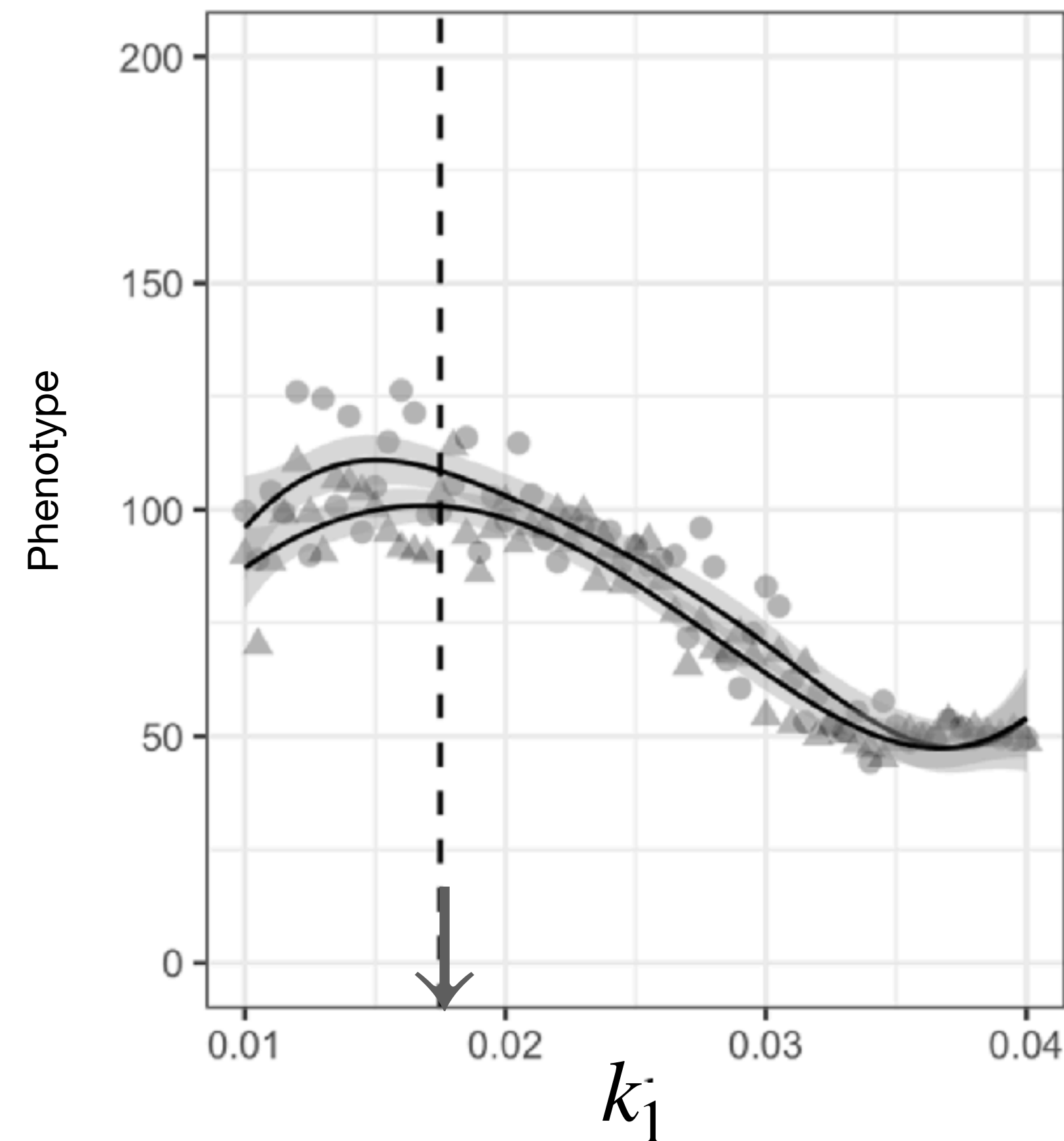
Simple growth model

Estimate k_2 for each genotype and predict phenotype

Phenotypic space
Phenotypes vary with k_1



GBLUP by level of k_1



Limited predictive skill
even when phenomics is
perfect

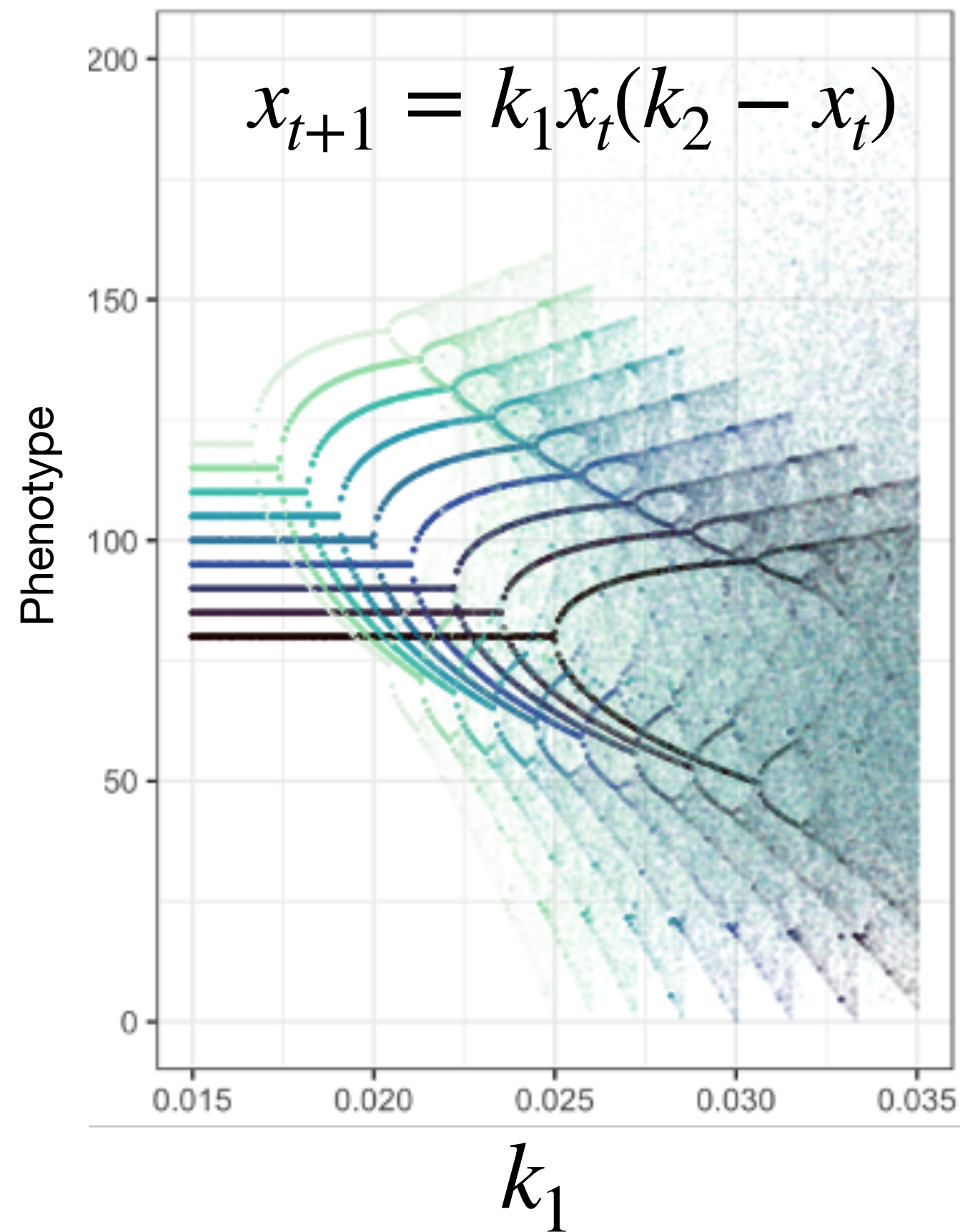
Rankings may be
recovered
... but with limited
resemblance of reality

Difficult to separate
(recall reduction in h^2)

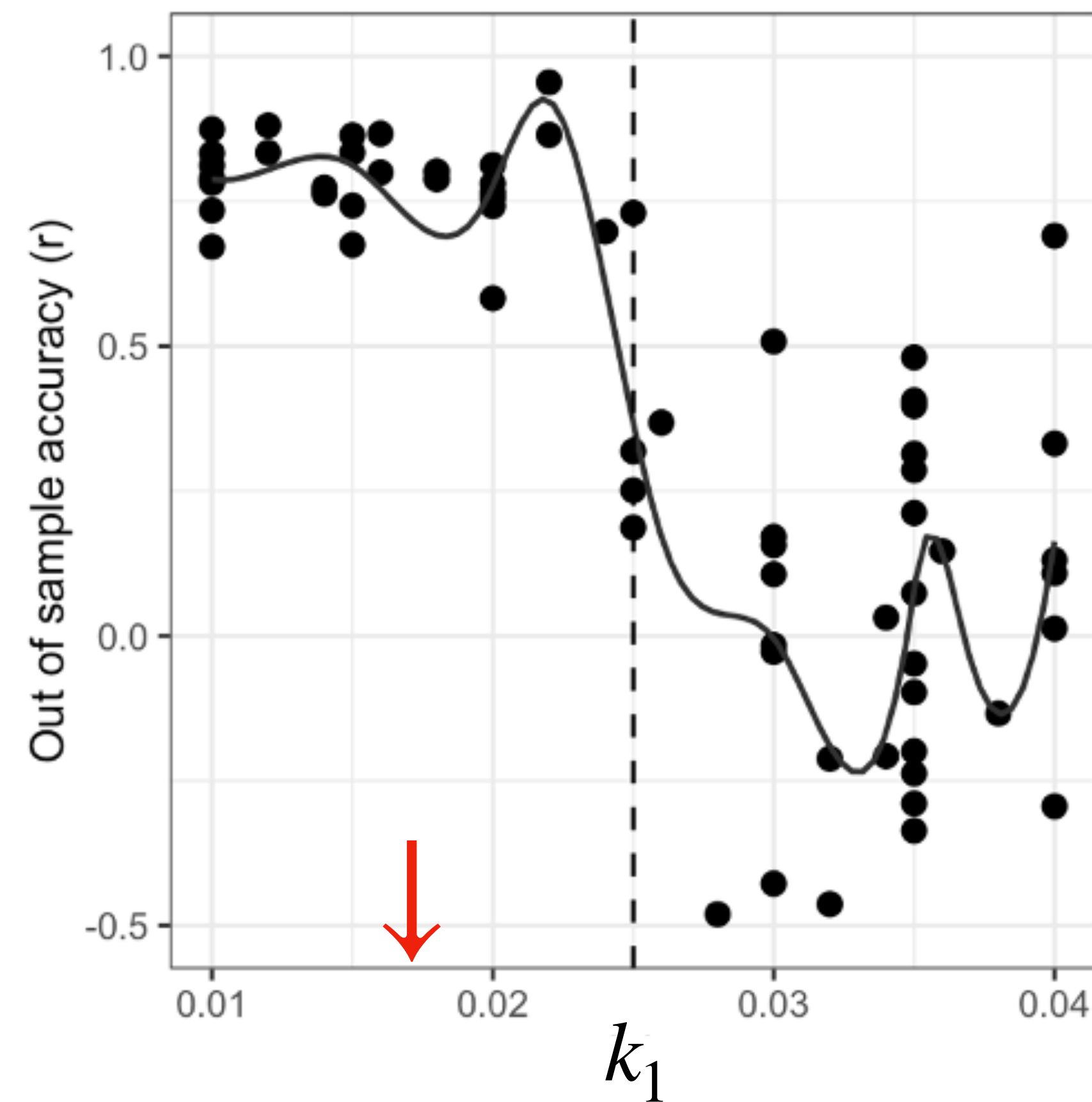
Simple growth model

Estimate k_2 for each genotype and predict phenotype

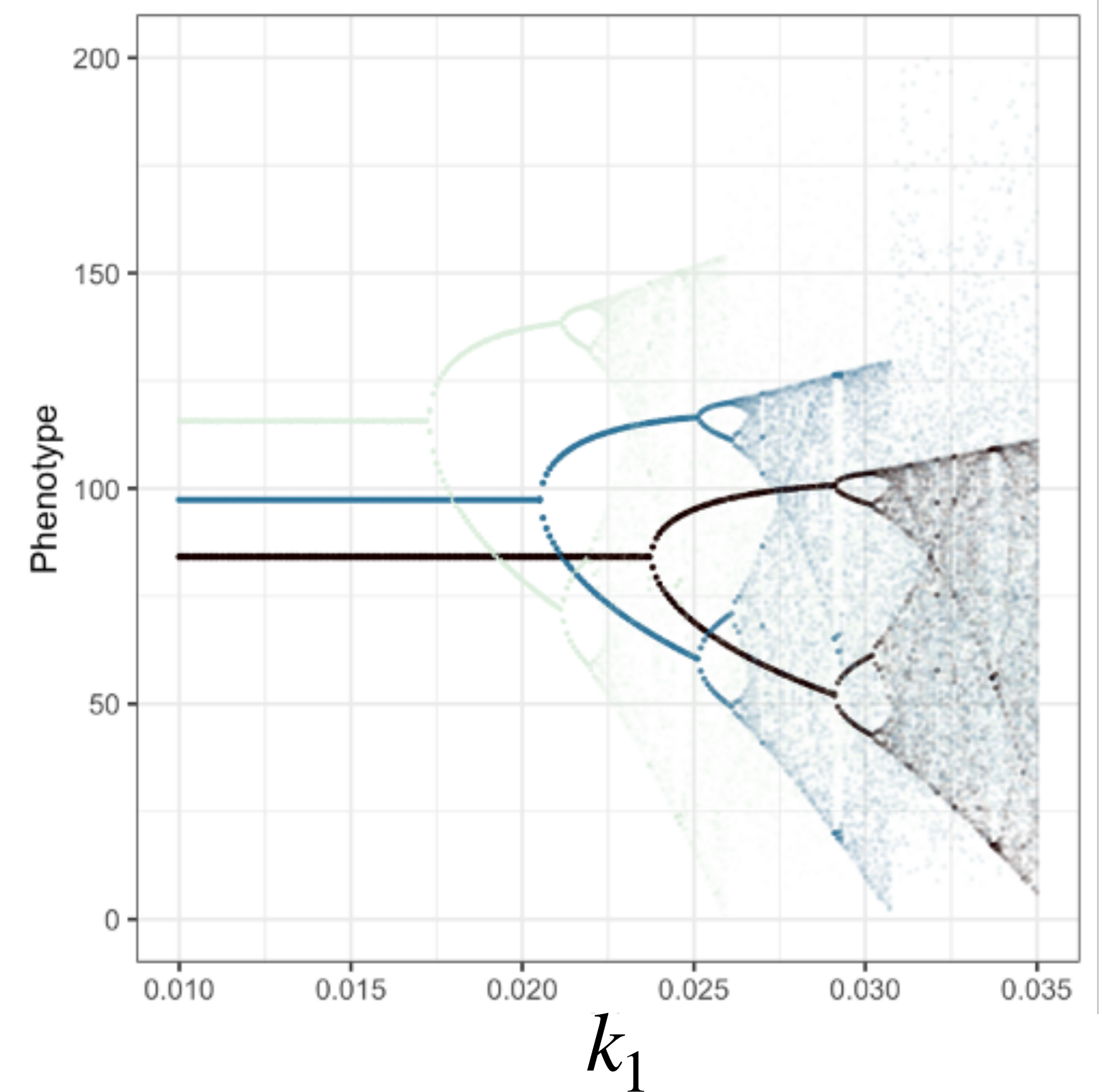
Phenotypic space
Phenotypes vary with k_1



Recover parameter k_2 for each
genotype



Predict Phenotypic space for each
genotype k_2



Predictive breeding as model ensembles

$$E(P_{ij}) = \frac{1}{n} \sum_n g(NK)_{in}^D + \frac{1}{s} \sum_s \Gamma(o(E(NK))_p, \mathbf{Q}, \mathbf{I}_t)_{ijs}^D + e_{ij}$$

Ensemble
mean

Expectation
over
Genomic
Prediction
models

Expectation
over
Dynamical
Models

Expectation
over a sample
of gene
networks
NK

Diversity prediction theorem

$$(\widehat{x^M} - x^T)^2 = \sum_{i=1}^N \frac{(x_i^M - x^T)^2}{N} - \sum_{i=1}^N \frac{(x_i^M - \widehat{x^M})^2}{N}$$

Model prediction
ensemble

True

Diversity model (M) term

**Ensembles of diverse models
outperform any single model.**

Perspectives I

Continue developing a New paradigm in AI enabled prediction

Neuroscience

Science of the brain

Objective and quantitative

System

Parts and Connections



Mark Rothko



Jackson Pollock

Psychology

Science of the mind

Subjective and holistic

System

Output & Behavior

Neuropsychology search for a unified theory of the brain and the mind

Emergence Crop Modeling reconciles order and chaos



Perspective II: Use AI to enables AI for breeders

3:01 56%

VISTAA
VIRTUAL INTELLIGENT SIMULATION TOOL FOR AGRICULTURE ADVISOR

Press and hold the button, say "Now give me a recommendation for ...", then release.

You said: generate a cloud for the CERCA ideotype in the Midwest

Pending location: Midwest
Lat: 46.8772, Lon: -96.7898
Lat: 41.8781, Lon: -87.6298

Working in background...

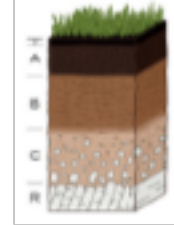
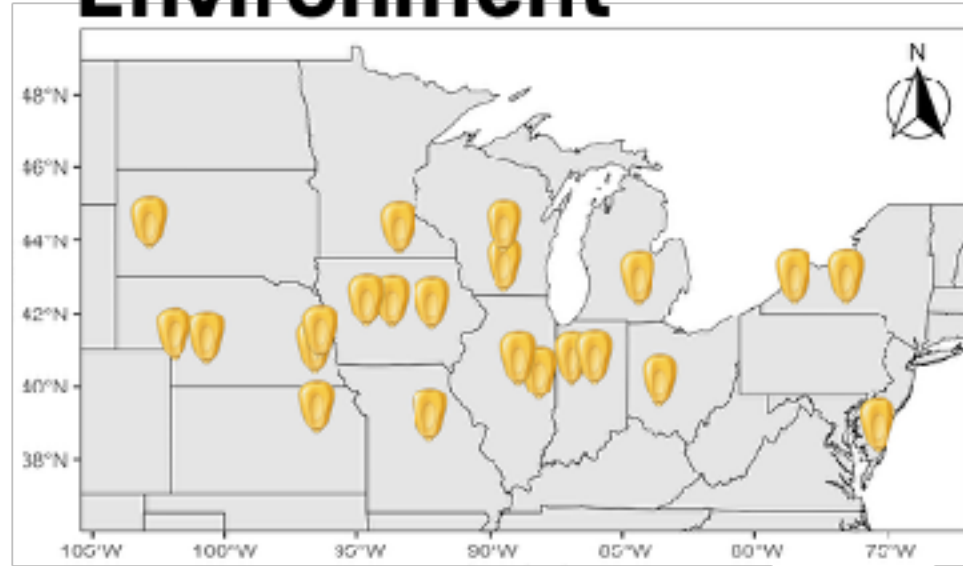
- E: Downloading weather and soil inputs...
- M: Compiling requested management...
- Creating DSSAT pipeline...

Genotype

- Growth
- Development
- Environmental sensitivities
- Stress responses

Extended growing season
Cold tolerance
Low protein content

Environment

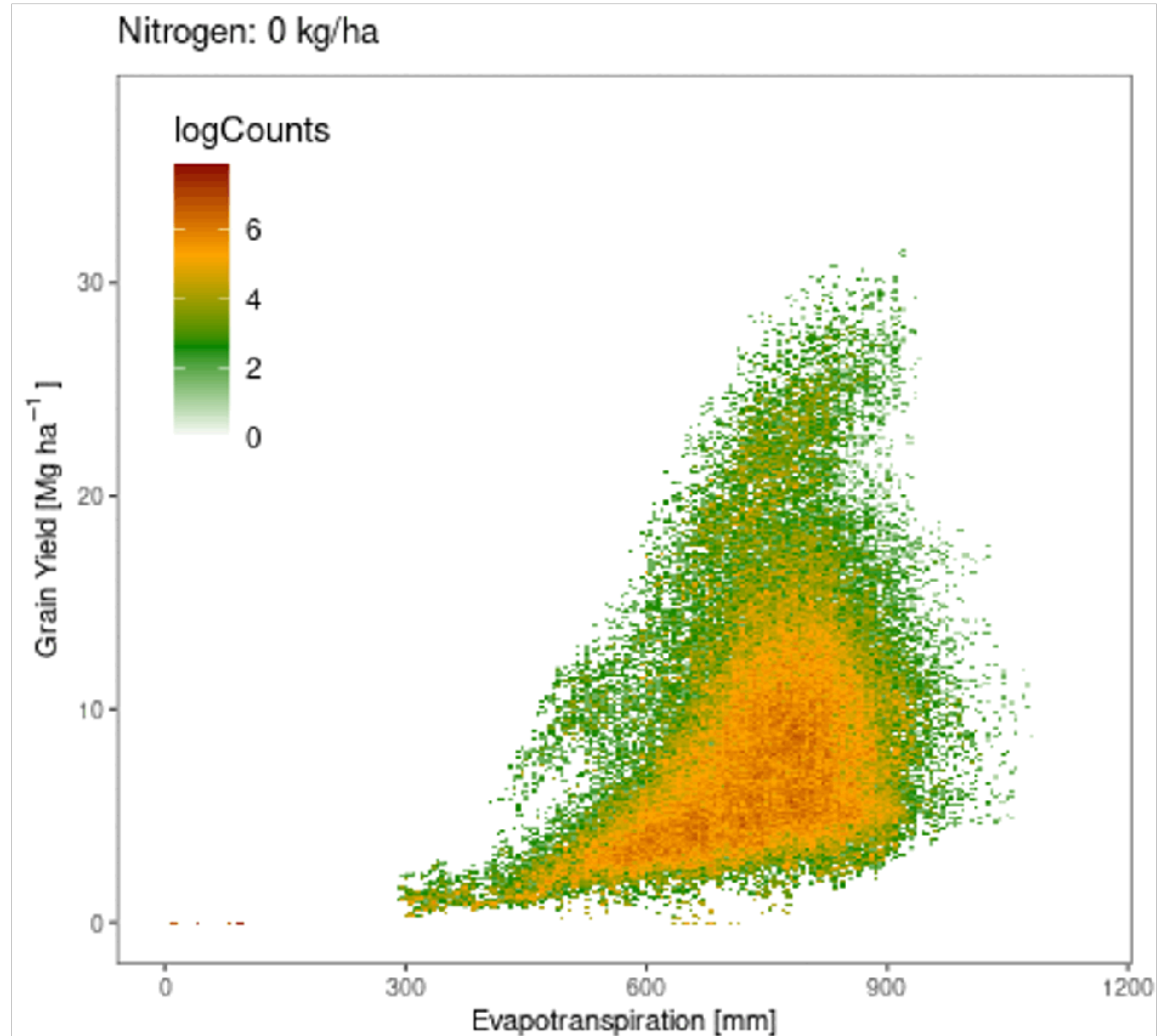


Management

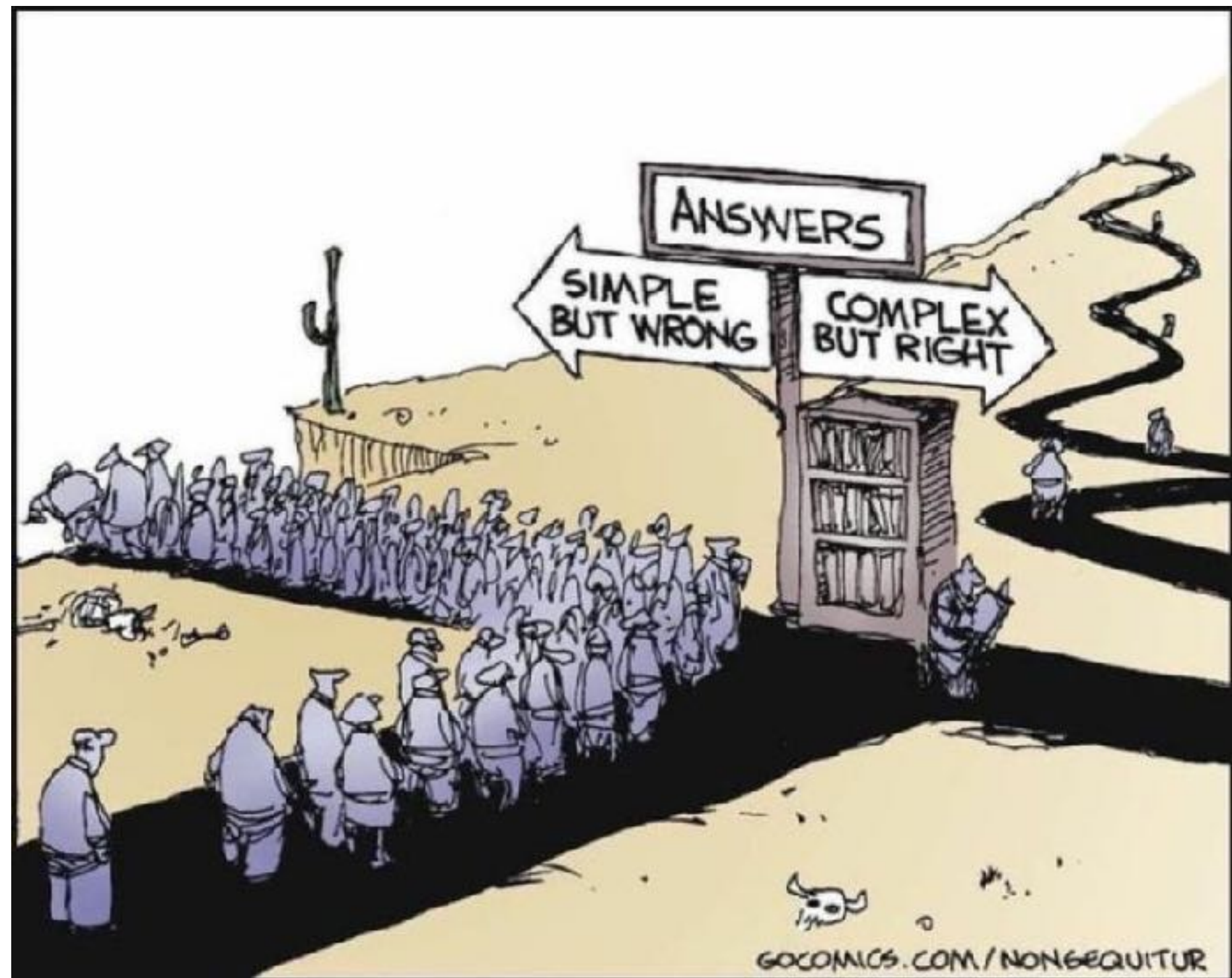
- Planting date
Early planting
- Irrigation
- Fertilization rate

User-LLM interaction

CGM: Cloud processing



Perspective II: AI enabled breeding that harness ensembles will have impact across the complexity continuum



Dynamical Bayesian framework (Crop Model + Genomic selection – or variations)

- Manage complexity
- Enable systems level thinking
- Crop design (and breeding for cropping systems)
- Breed crops at the right pace and the right place

Thank you for having me!

